



How do you approach and solve problems?

The Cognitive Biometric of Unconscious Strategy Patterns in Covert Games

SOUTHWEST RESEARCH INSTITUTE® (SwRI®)

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Research Question: Can we design covert games requiring basic reasoning and detect patterns in people's strategies, for authentication technologies?



Users understand software bugs and similar computer issues exist.

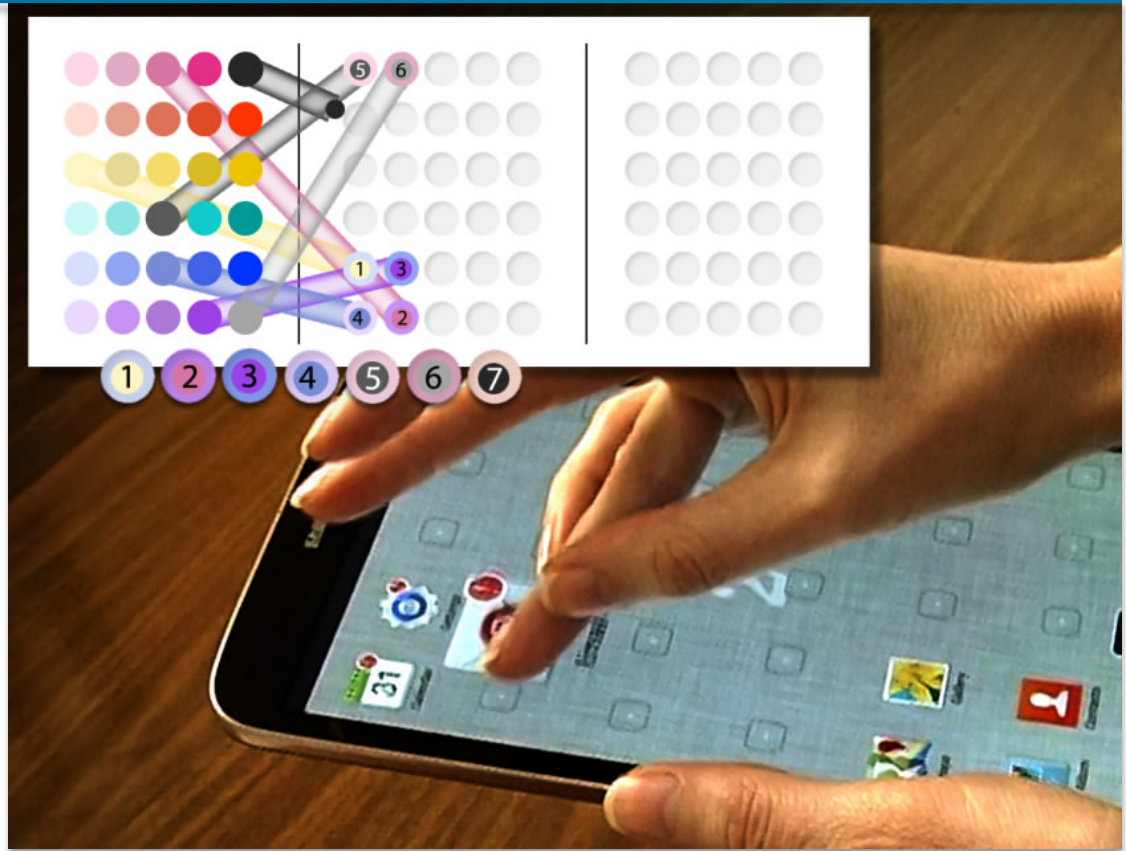
Users *consciously* develop resolutions to basic problems, then *unconsciously* incorporate them into their daily routine without interrupting their flow of work.





A covert game was disguised as a customary decision-making mobile device task.

Intermittent 'updates' required moving icons in specific ways capturing unconscious and unique decision making strategies.



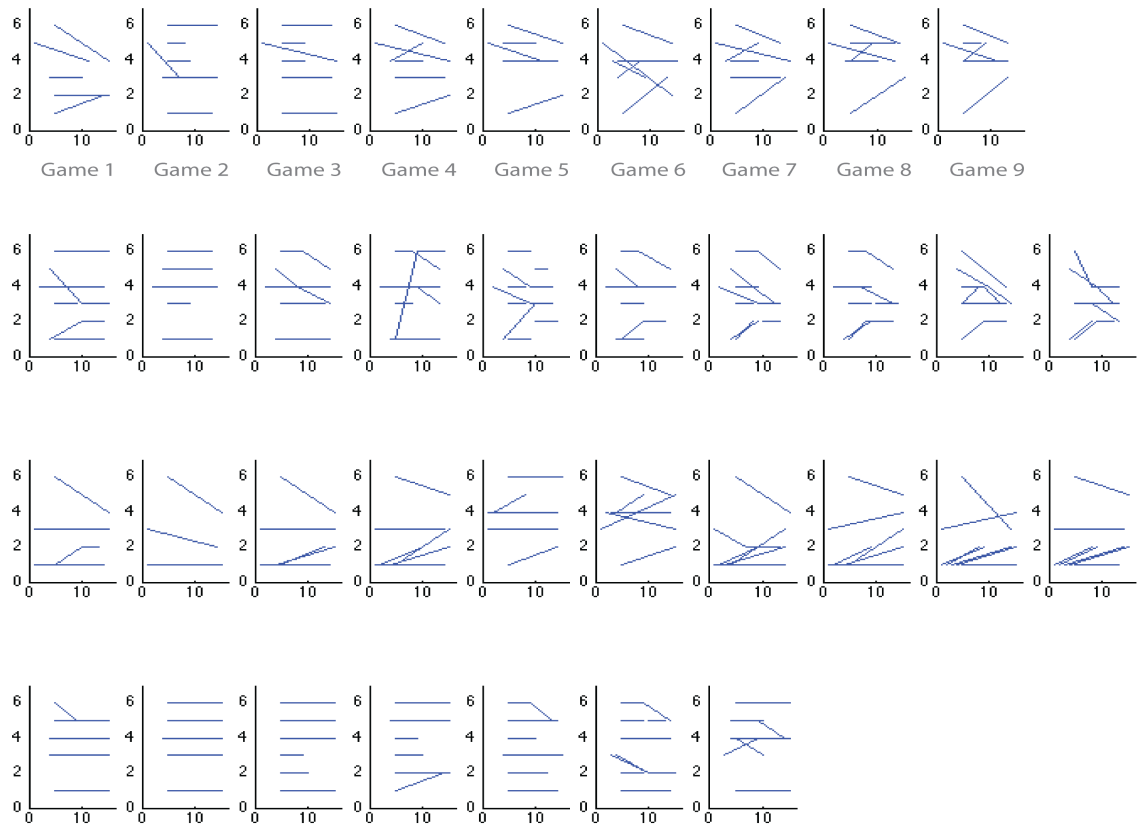
- 3 Pages (device home screens)
- Color indicates row
- 5 puzzle rule variations for moving critical icons
- Numerals show move order
- Shadow streaks depict move distance
- Critical icons are visually identified:





Covert game design framework driven by combinatorial game theory.

A mathematical concept where a series of defined game *piece 'moves'* achieve a particular ending out of many possible outcomes.

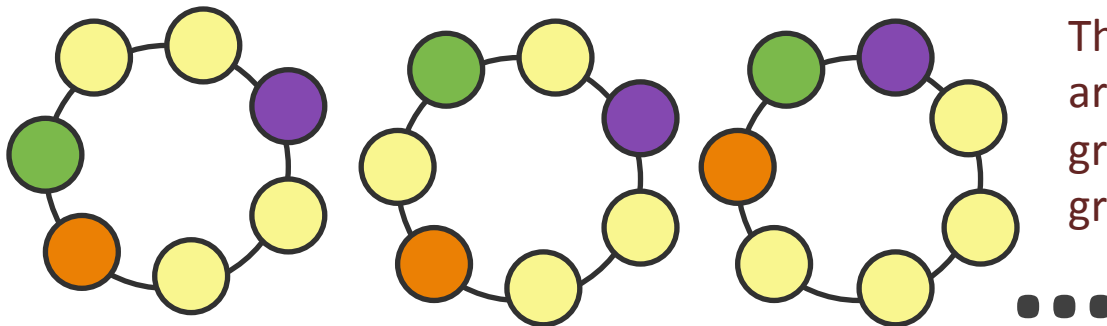
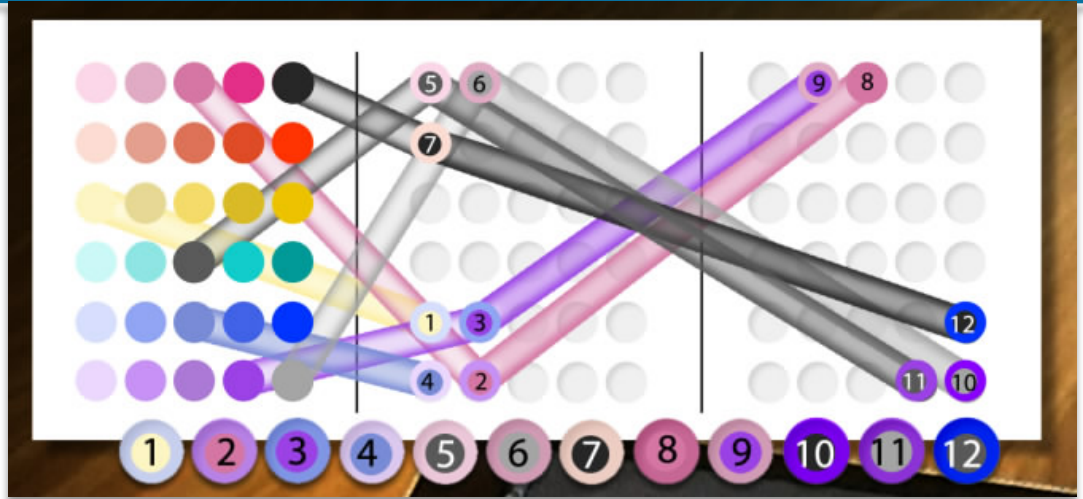


Visualization of data from 4 participants: Covert game-theoretic authentication requires enough variation & permutations for users to engage in.

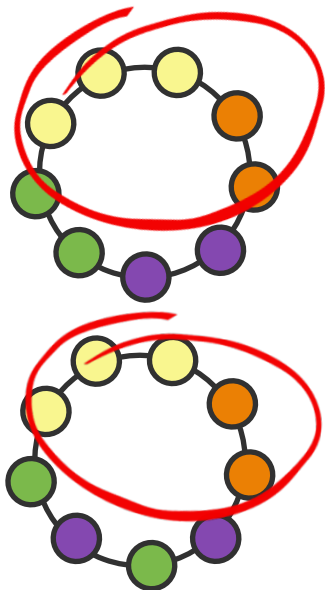


Possible game outcomes are determined by unique ordered sequences of moves or strategies (cognitive fingerprint).

Strategy variations consist of permutations in game piece *choices* (order of operations) & *arrangements* (spatial movements)



The symmetries in the bracelets are analogous to the symmetry groups we identify; order and grouping define game structures.



Strategies form invariant structures within permutation groups, with specific game features such as:

- Moving all non-critical icons first
- Which critical icon element was moved first
- Which row was the first icon moved from

Unique combinatorial structures are classified by an assigned INDEX no.



Each group is characterized by a 'distance' metric, quantifying features from the **SELECT FROM** and

Interval of **non-critical icon** actions and set elements

Interval of **critical icon** actions and set elements

ORANGE: Fixed position
Critical Icon 'C'

PURPLE: Random position
Critical Icon 'B'

GREEN: Fixed position
Critical Icon 'A'

Select From	Drop To	double move
4	5	
10	10	
20	20	4,1 4,1
30	15	5,1 5,1
15	1	3,1 3,1
5	1	
5	2	

DROP TO sequences; measure of *movement* (magnitude across game field), *order* and *location* properties



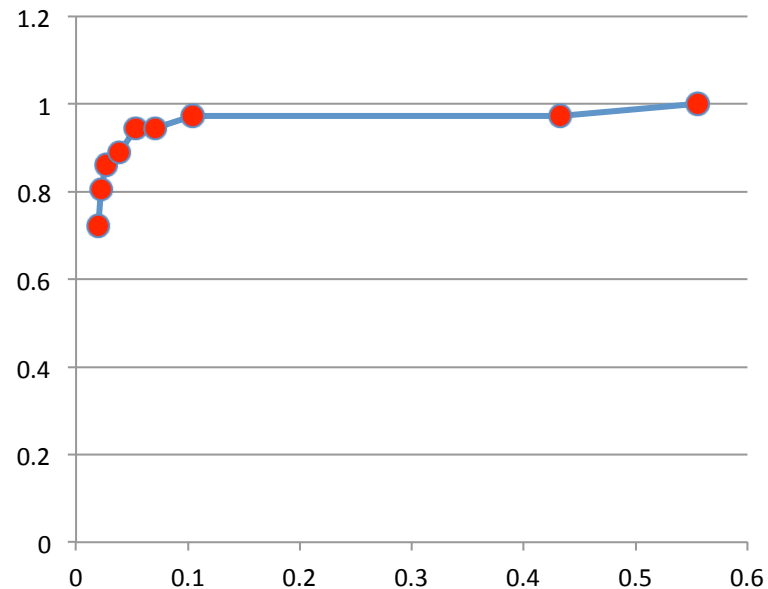
Observed that stable game patterns emerged after 6-10 games thus, the last two games were compared.

In the first set of 18 participants we found 14 unique group structures (strategies) with discriminating features, where the current game strategy matches that person's previous strategy.

Users were similar to themselves but different from others

	FAR	HR
0.01	0.0203	0.72222222
0.02	0.0226	0.80555556
0.03	0.0271	0.8611
0.04	0.0384	0.8888
0.05	0.0531	0.94444444
0.075	0.071	0.94444444
0.1	0.104	0.972
0.5	0.4326	0.9722
1	0.5559	1

Hit Rate **0.9444**; FRR **0.0531**



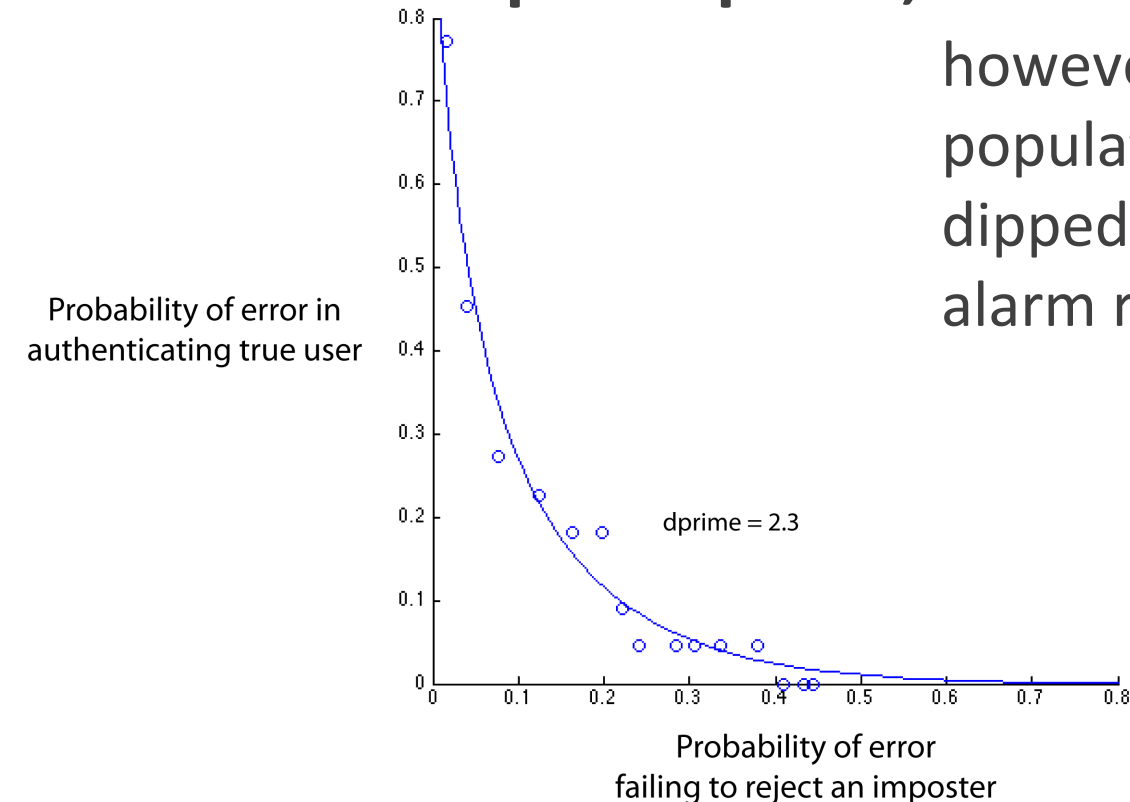


These preliminary results were encouraging and provided unique models of individual strategies to a covert combinatorial game.

The next experiment, using a larger sample population, would test whether people continued to form invariant and distinctive gameplay strategies.



The next test session consisted of 28 participants, the same group-theoretic metrics were used to quantify and discriminate each participant's strategy from those of other participants;

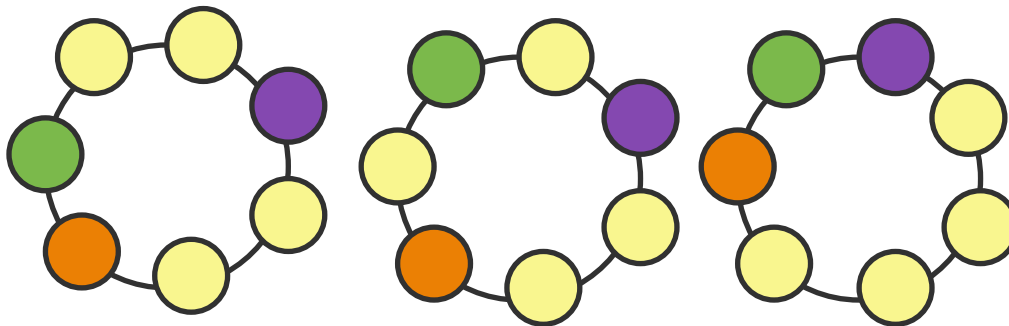


however as the sample population increased, accuracy dipped (~75%) and the false alarm rate increased (~25%)



In this second test session, participants did not exhibit repeatable invariant and distinctive gameplay strategies.

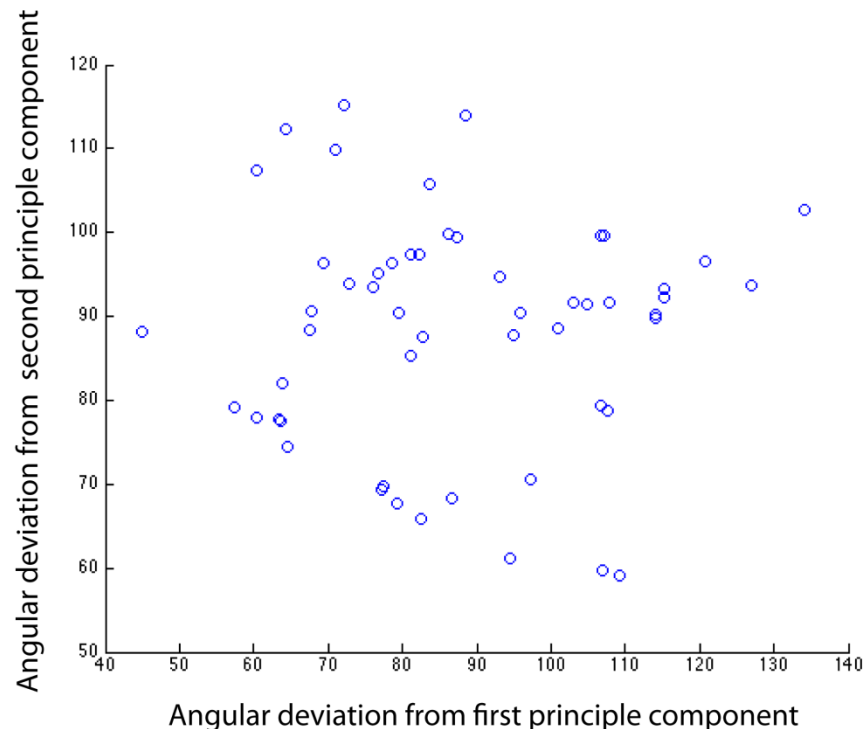
For many, the combinatorial group structures (strategies) differed between games or the group's characteristic 'distance' metric would fluctuate over a wide range of values over the same individual's set of games.





The final test session consisted of 54 participants, during analysis the group structures (strategies) were ‘broken up’ into 12 characteristic game features.

54 participants’ average game vector projections



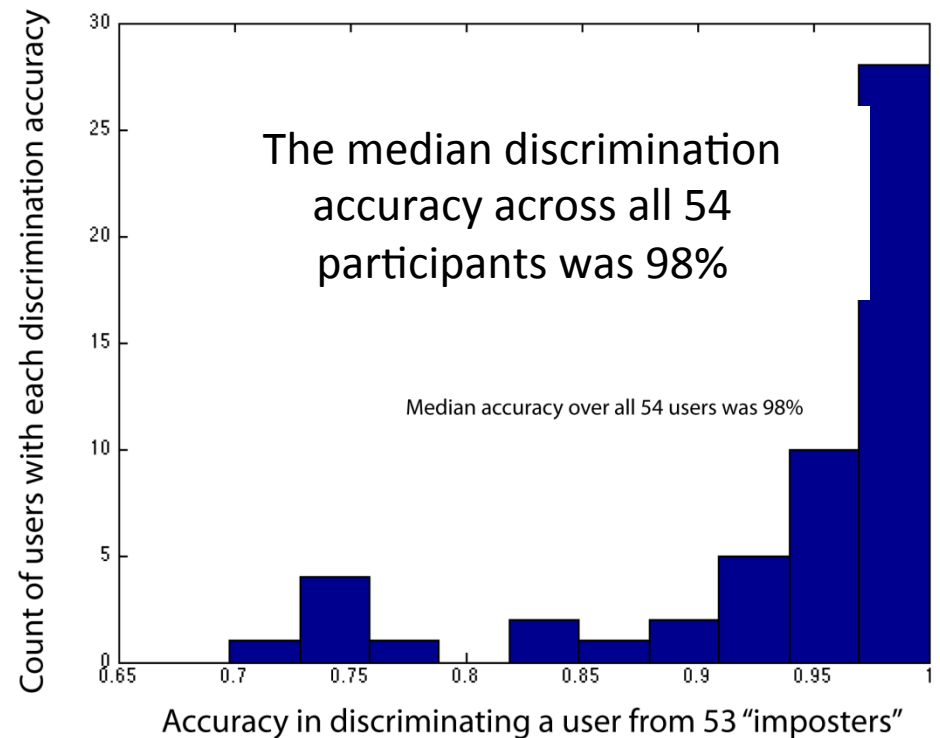
No human observable pattern appeared (well-defined group structure), but cross-ambiguity functions (CAF) and Eigen-analysis quantified and related patterns within gameplay features.

Each dot represents a single participant; disbursed in space they generally do not cluster. Thus qualitatively, the ‘fingerprints’ are unique and distinguishable from others.



The figure below shows the distribution of discrimination accuracy for each of the 54 participants analyzed.

The distribution is highly skewed to the right indicating that for the vast majority of participants their cognitive 'fingerprint' is highly distinguishable from the 'fingerprints' of all other participants.





The increased error rate appears to be the result of seemingly random gameplay, where no pattern emerged through combinatorial or Eigen-analysis.

Indeed, recent studies have shown that under uncertainty the brain chooses random strategies [Tervo, 2014].

However, research also shows people generally are unable to recognize or produce true randomness [Poundstone, 2014].

Perhaps patterns exist in the ‘behavioral noise’ within the participants’ unconscious strategies?

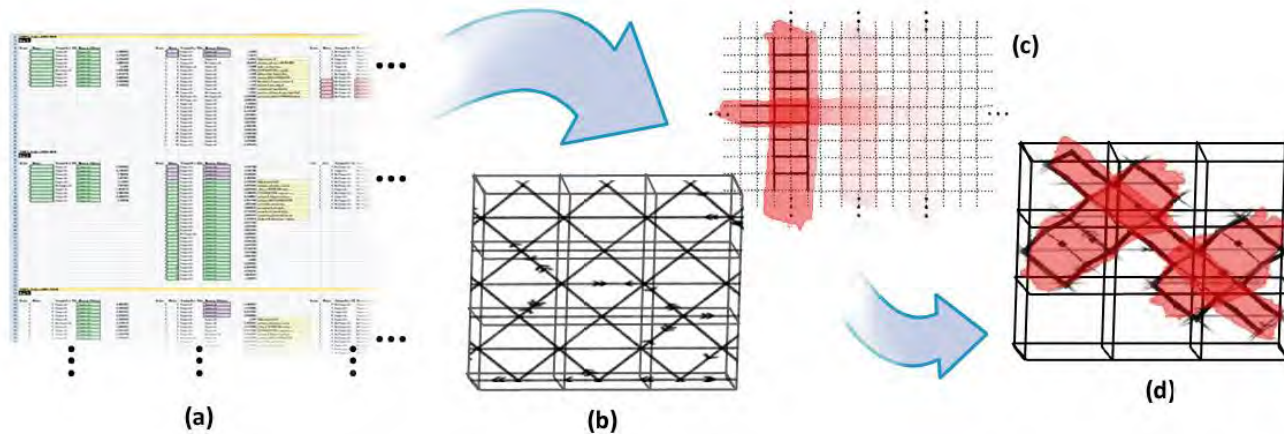
Tervo, Dougal GR, et al. "Behavioral Variability through Stochastic Choice and Its Gating by Anterior Cingulate Cortex." *Cell* 159.1 (2014): 21-32.

Poundstone, William. (2014) *How to Predict the Unpredictable: The Art of Outsmarting Almost Everyone*. Oneworld Publications.

Implementing such behavioral research into the mathematics of combinatorial games, can guide new biometric models of strategies under uncertainty (covert games).

But searching the data for cognitive fingerprints, invariant behavioral features in the combinatorial structures, takes observation and intensive modeling.

However...



Raw gameplay data transformed into topological structures (graphs, groups, etc.) for modeling and classification



Using combinatorial analysis and continuing research into strategy invariants within covert games, we hope to generalize specific combinatorial features.

A set of generalized features would allow this cognitive biometric technique to be embedded into a wider application of covert games or decision-making scenarios; remaining subtle and transparent to the user.



Thanks!

Questions?



SUPPLEMENTARY SLIDES



Worked Examples

Select From	Drop To	double move	re-arrange	Select From	Drop To	double move	re-arrange
20	19			19	20		
10	10			20	1		
5	1			14	14		
30	30			5	10		
15	15			15	15	1,5 6,1 1,5	
14	2			10	9		
15	15			15	15		
10	10			5	14		
5	1			10	10		
30	30			30	25	1,4 1,4	

$$\chi = \sum (| \text{actions of col. \& rows delta} | + | \text{average between the SELECTED row \& DROP TO row inputs} |) + \sum | \text{column of averages between the SELECTED row \& DROP TO row} |$$



Worked Examples (continued)

These two particular examples have a region characteristic of **44**. Both also fall into the symmetric group **pgrp47**.

Magnitude of column movements	Magnitude of row movements	Average between column inputs	Summed total
0	0	2	2
0	4	1	5
0	0	6	6
0	0	2	2
0	4	1	5
0	0	6	6

26

2
1
6
2
1
6

Sum of Column **18**

Summed Total + Summed Column

26+18= **44**

Magnitude of column movements	Magnitude of row movements	Average between column inputs	Summed total
1	0	1.5	2.5
0	1	2	3
2	1	2	5
0	0	2	2
0	0	6	6
0	0	6	6

24.5

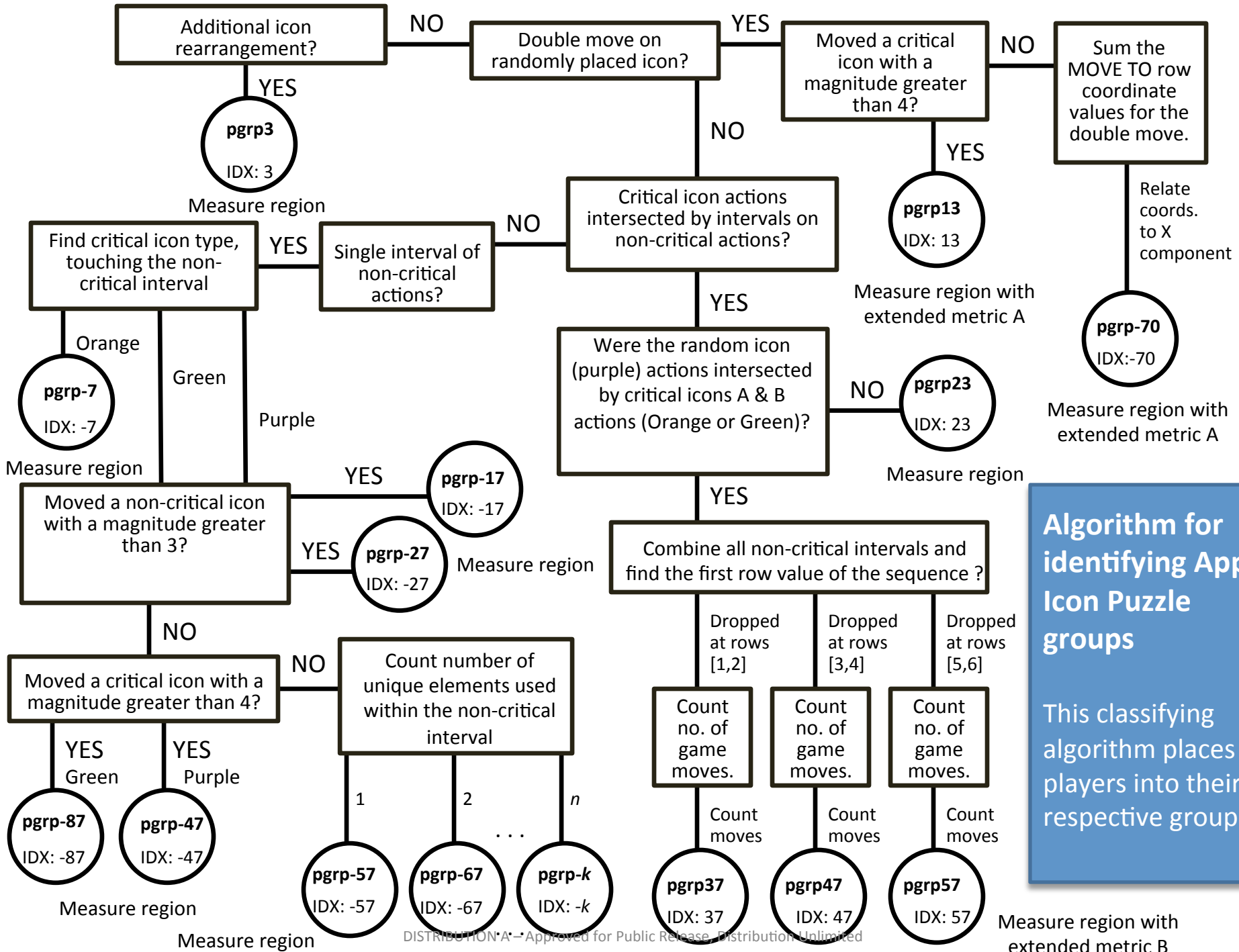
1.5
2
2
2
6
6

Sum of Column **19.5**

Summed Total + Summed Column

24.5 + 19.5= **44**

(44,47)



Algorithm for identifying App Icon Puzzle groups

This classifying algorithm places players into their respective groups.